

# **Study of Low Frequency Radio Foregrounds using the uGMRT**

## **- Applications to Cosmological HI signal Extraction**

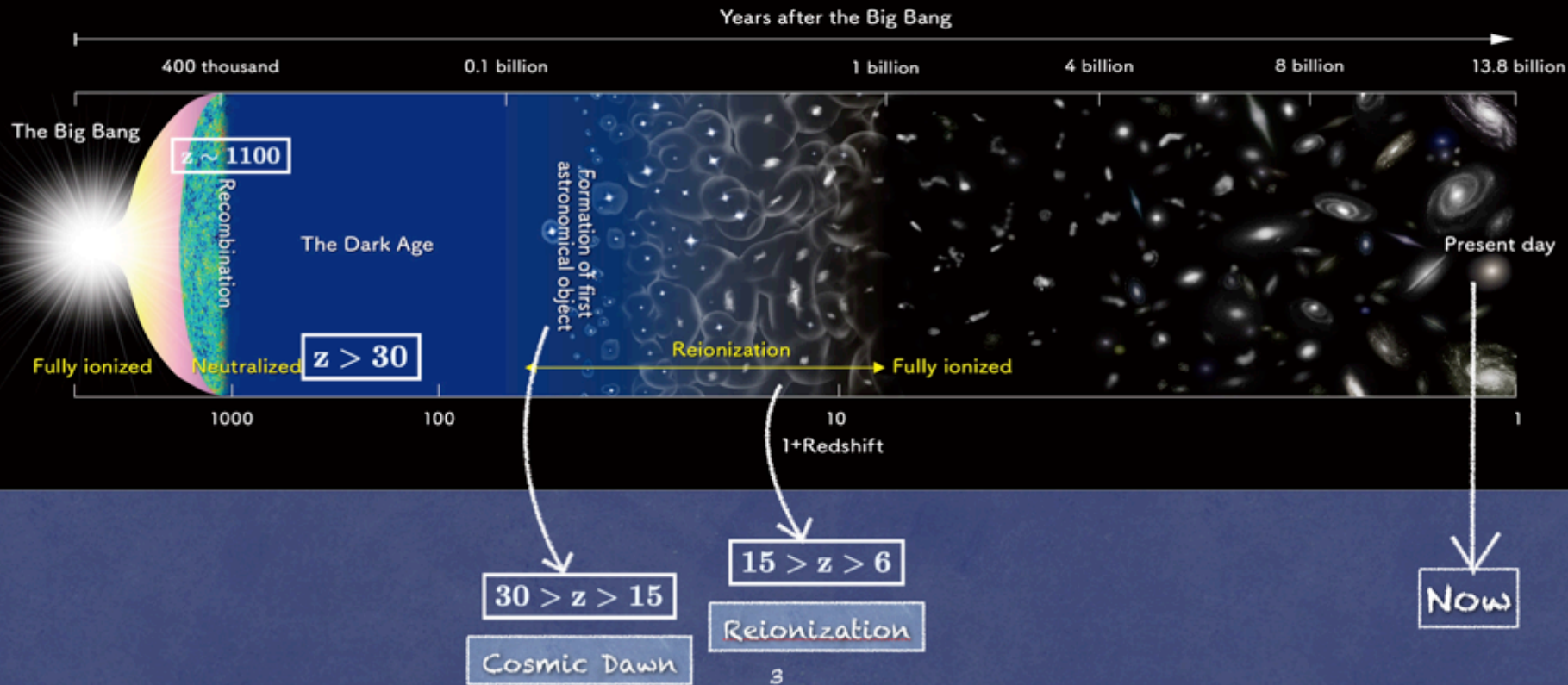


**Abhirup Datta**  
**IIT Indore**

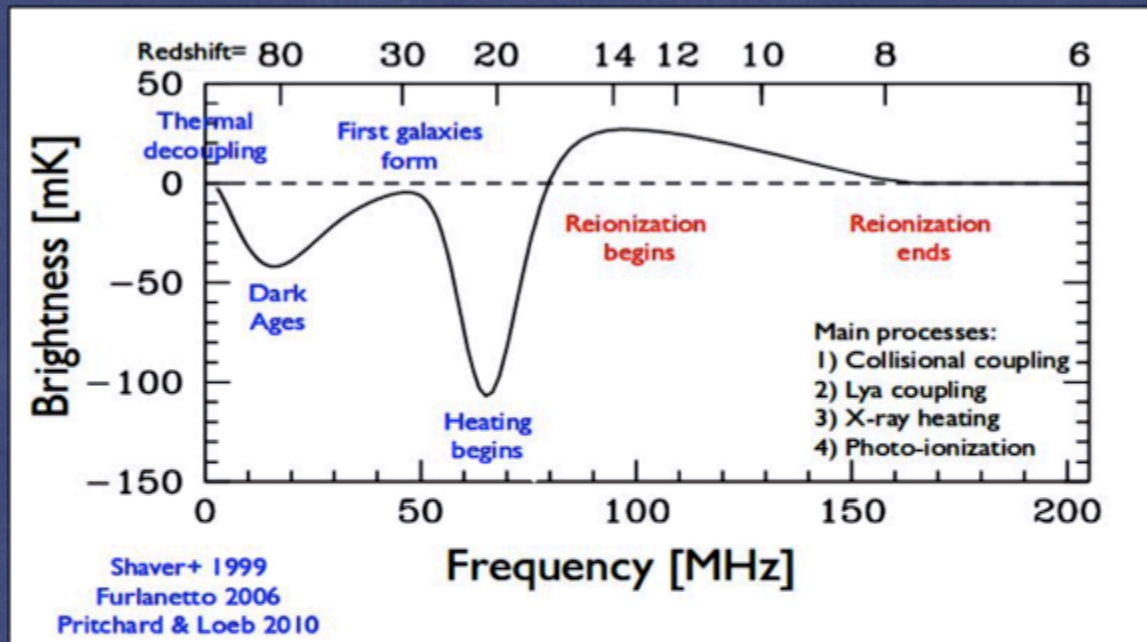


**Arnab Chakraborty, Madhurima Choudhury (IIT Indore)**  
**Nirupam Roy (IISc), Samir Choudhury (NCRA),**  
**Prasun Dutta (IITBHU), Somnath Bharadwaj (IITKGP),**  
**Kanan Datta (PU), Huib Intema (Leiden/ICRAR).**

# Cosmic Dawn/ Epoch of Reionization



# The 21-cm Global Signal



Differential brightness temp.

$$\delta T_b \approx 27(1 - x_i) \left( \frac{\Omega_{b,0} h^2}{0.023} \right) \left( \frac{0.15}{\Omega_{m,0} h^2} \frac{1+z}{10} \right)^{1/2} \left( 1 - \frac{T_\gamma}{T_S} \right)$$

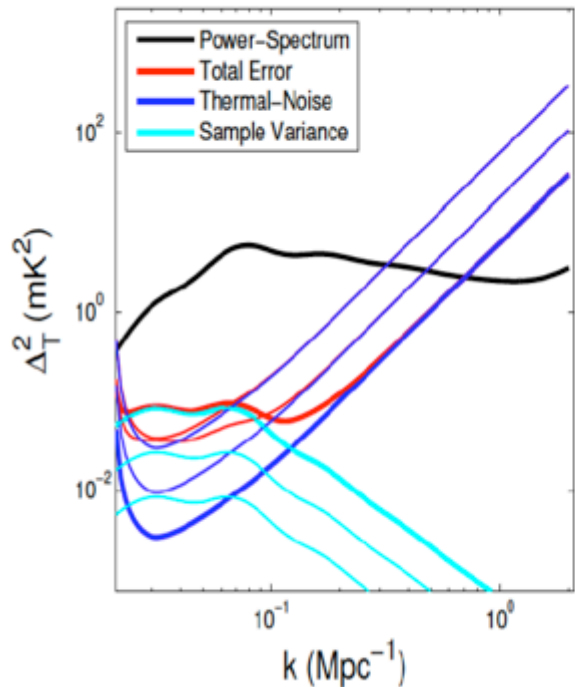
Ionised fraction

Redshift

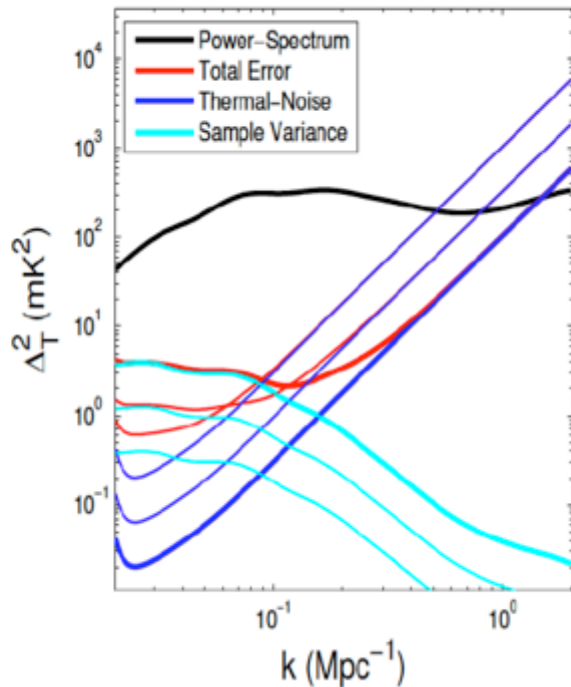
CMB temp.

6 Spin temp.

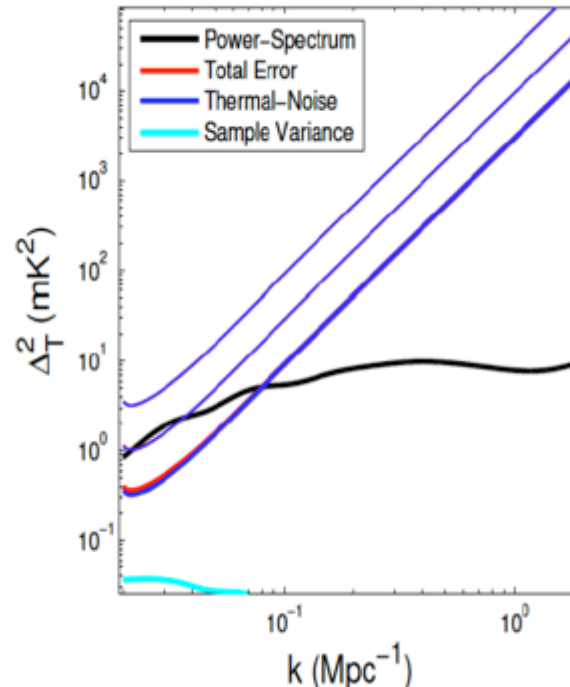
Power-spectrum, z= 8.95



Power-spectrum, z=15.98



Power-spectrum, z=25.25



Differential brightness temp.

Courtesy: Cath Trott

$$\delta T_b \approx 27(1 - x_i) \left( \frac{\Omega_{b,0} h^2}{0.023} \right) \left( \frac{0.15}{\Omega_{m,0} h^2} \frac{1+z}{10} \right)^{1/2} \left( 1 - \frac{T_\gamma}{T_S} \right)$$

Ionised fraction

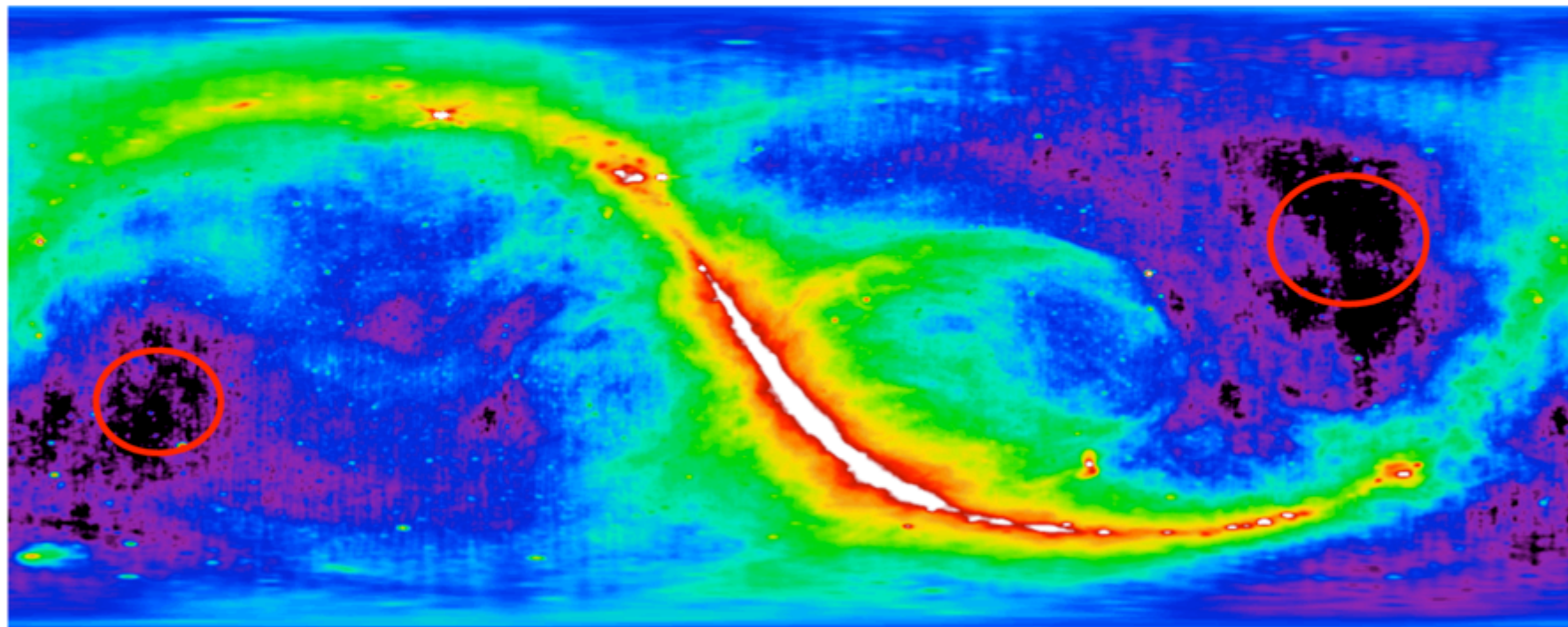
6 Spin temp.

# Foregrounds



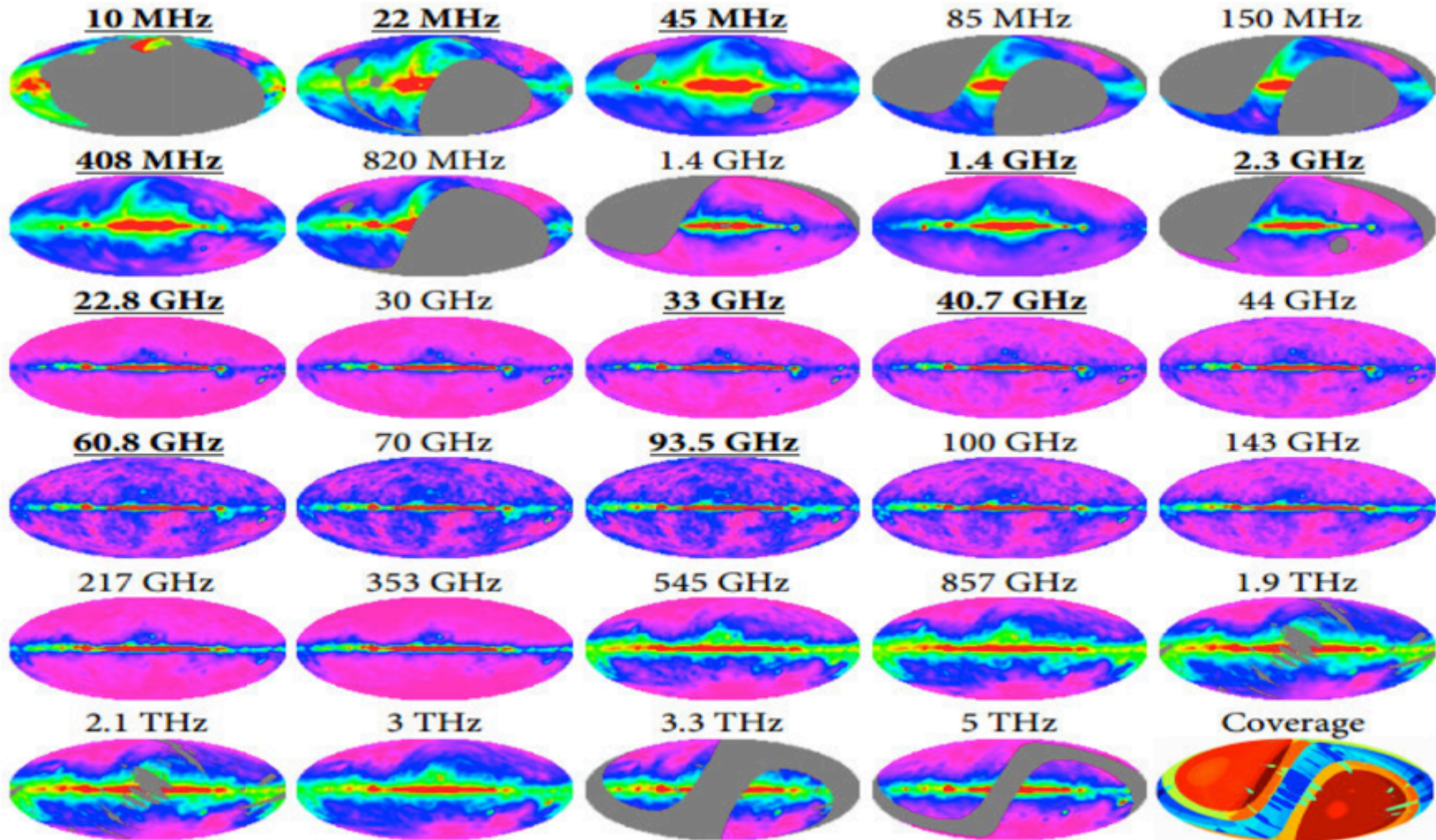
$$T_{\text{sys}} = T_{\text{sky}} + T_{\text{Receiver}}$$

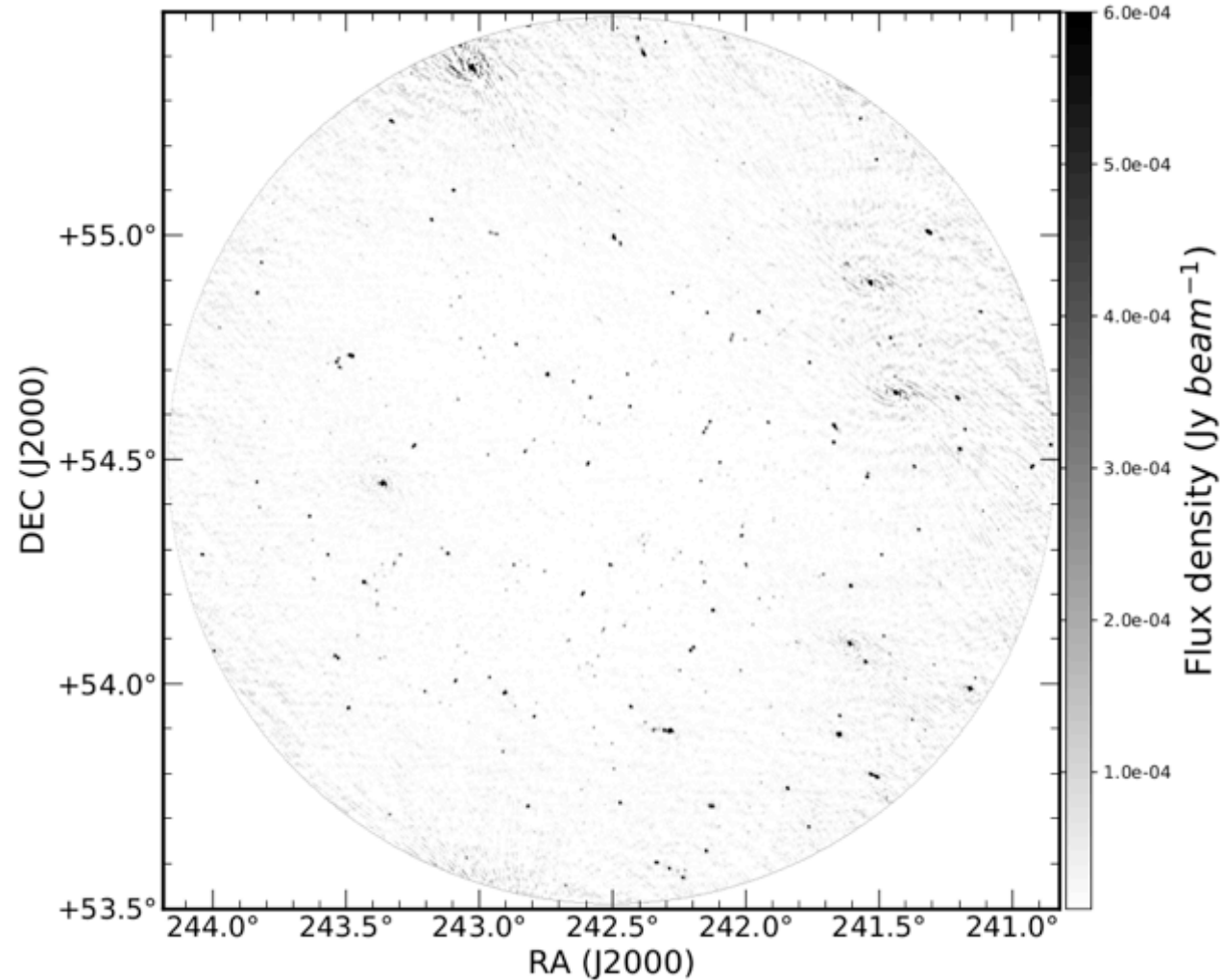
At 150 MHz  $T_{\text{sky}} \sim 200\text{K}$



Radio sky at 408 MHz continuum

*Haslam et al, 1982*





## uGMRT observations of ELAIS-N1

Single Pointing

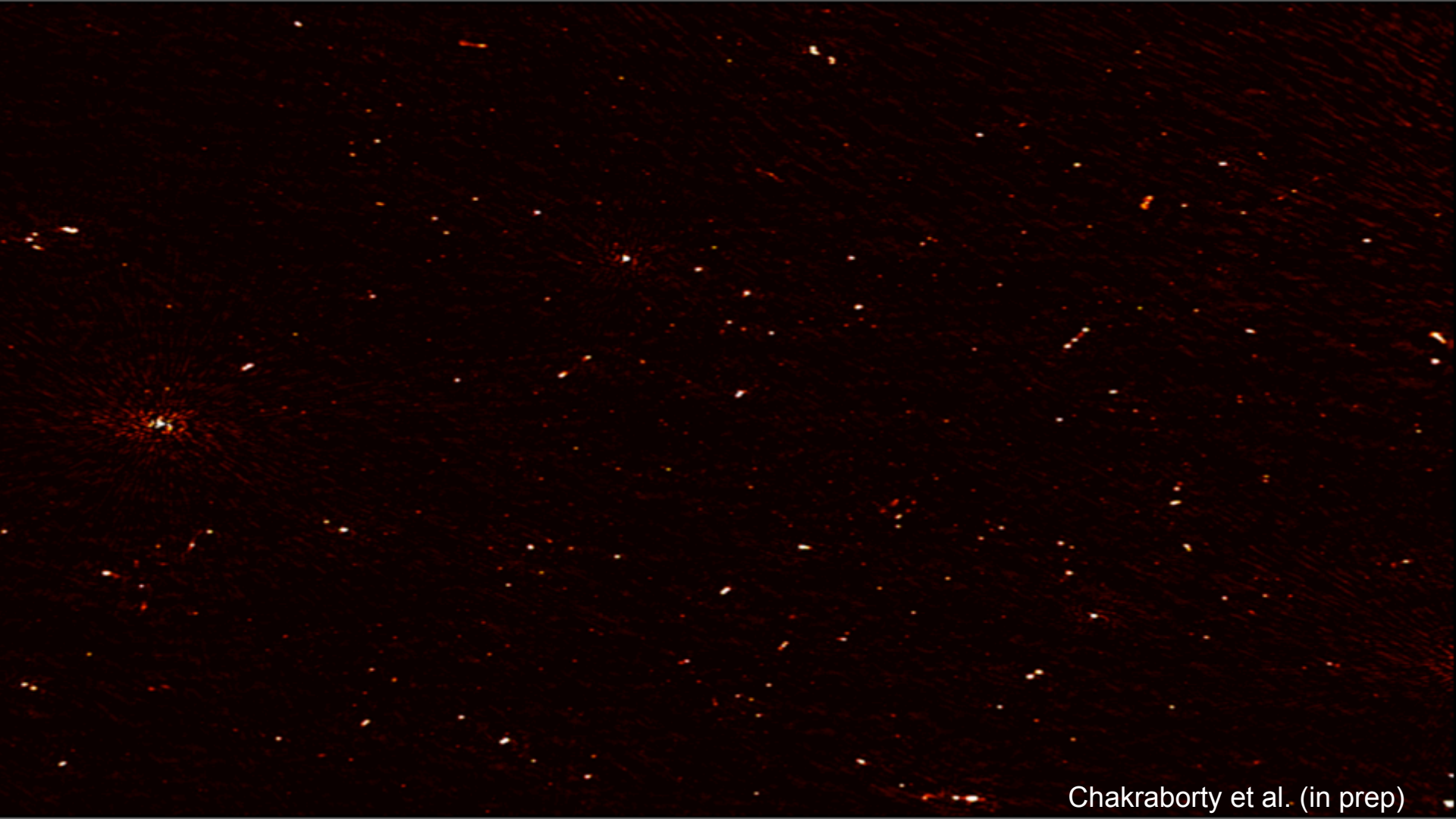
14 hours on-source time

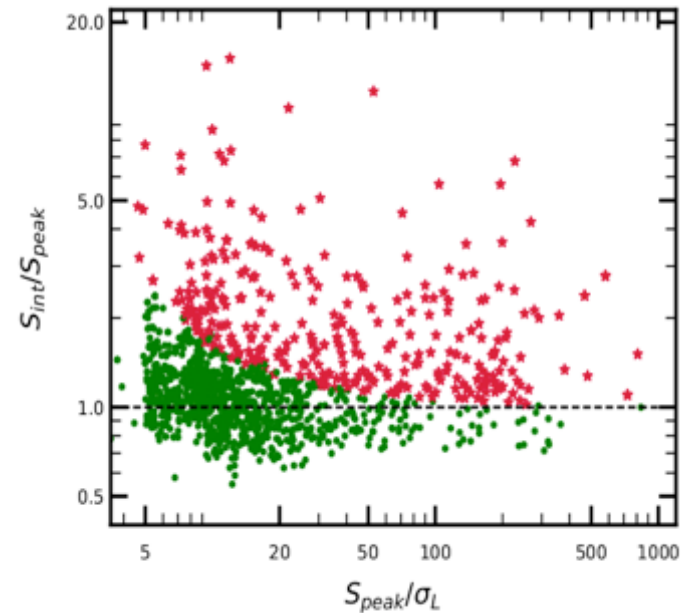
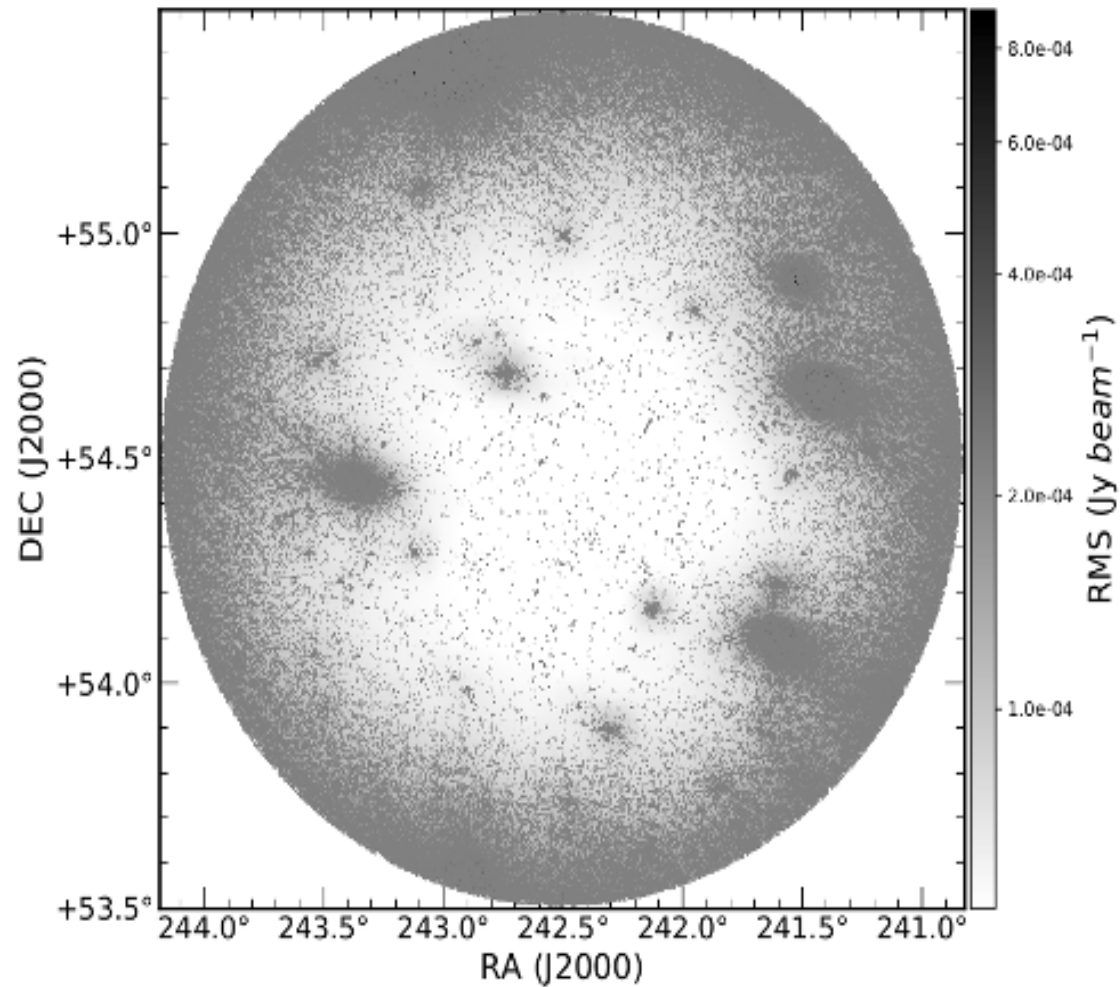
30% data flagged

Flagging done by  
AOFLAGGER + RFLAG

**RMS noise  $\sim 18 \mu\text{Jy}$**   
**Dynamic range  $\sim 18000$**







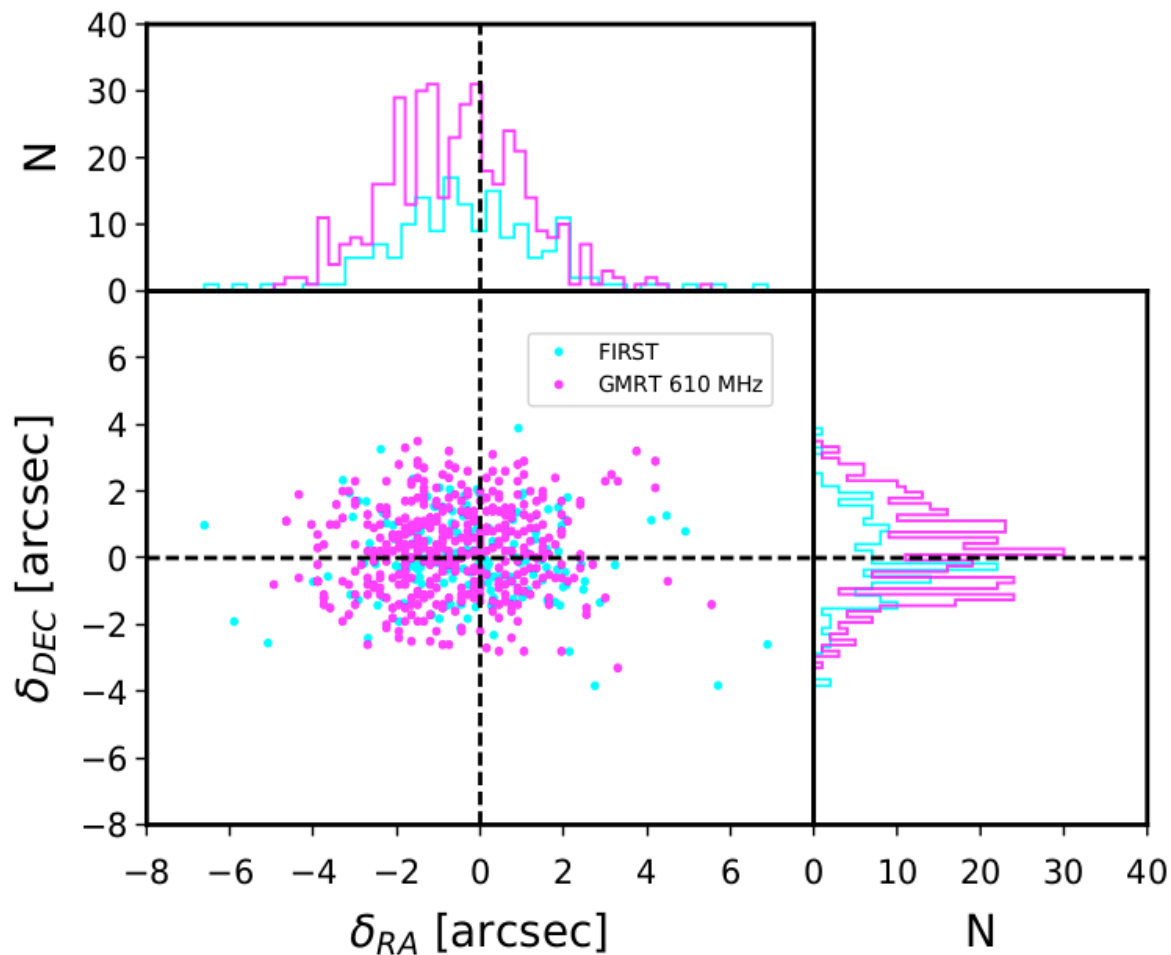
Following GLEAM analysis:

$$\ln\left(S_{int}/S_{peak}\right) > 3\sqrt{\left(\frac{\sigma_S}{S}\right)^2 + \left(\frac{\sigma_{S_{peak}}}{S_{peak}}\right)^2}$$

Unresolved sources  $\sim 1105$

Resolved sources  $\sim 333$  (PYBDSF)

Chakraborty et al. (in prep)



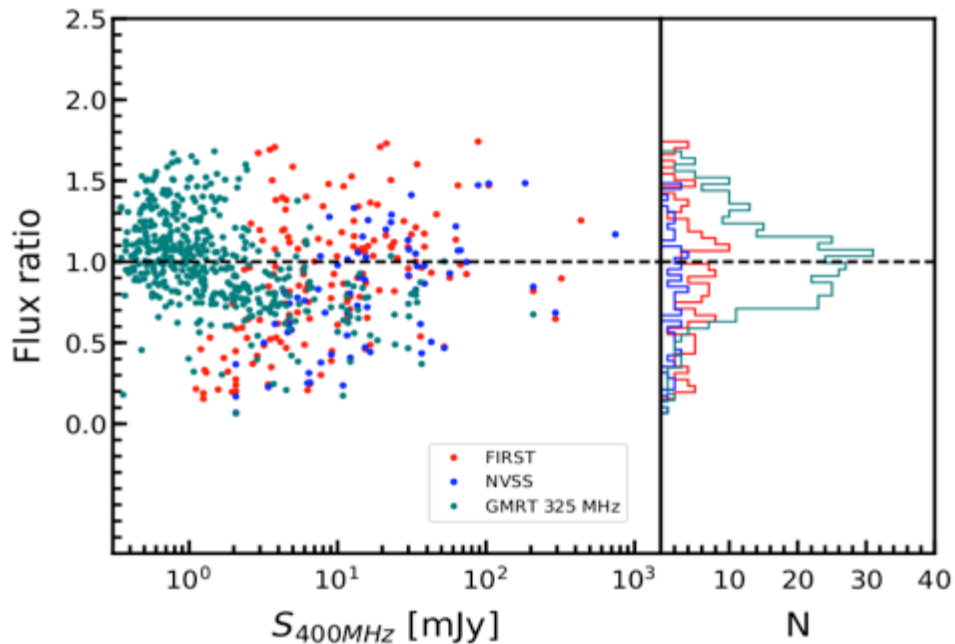
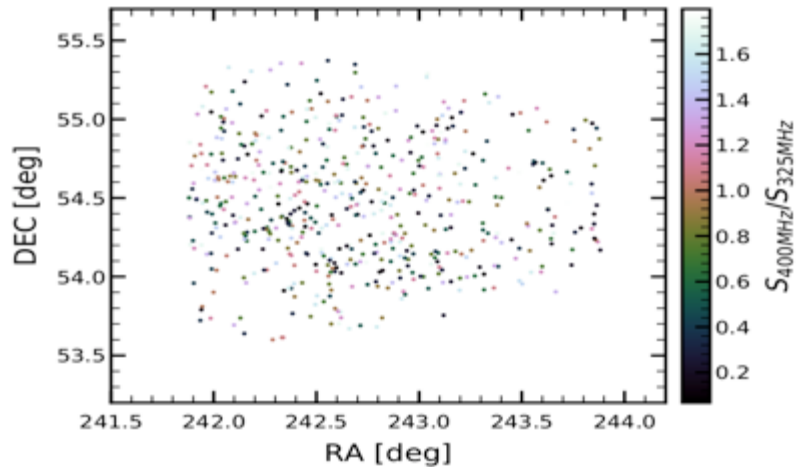
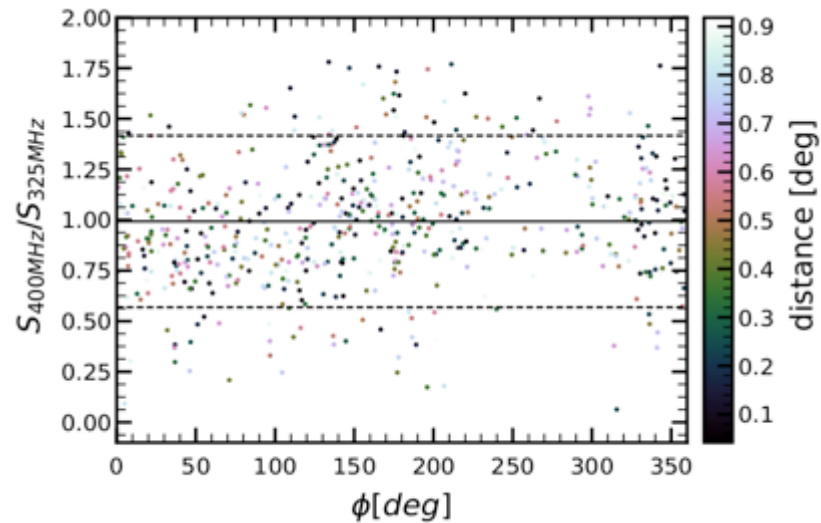
Source selection :

1. Search radius = 6"
2. SNR >  $20\sigma$
3. Size < 5" ( Compact)
4. No sources with 30"

We have used a constant correction factor from FIRST histogram : mean offset in RA = - 0.3 arcsec and in DEC = - 0.003 arcsec

Previous GMRT 610 MHz  
 Observations from Garn et al. 2009

Chakraborty et al. (in prep)

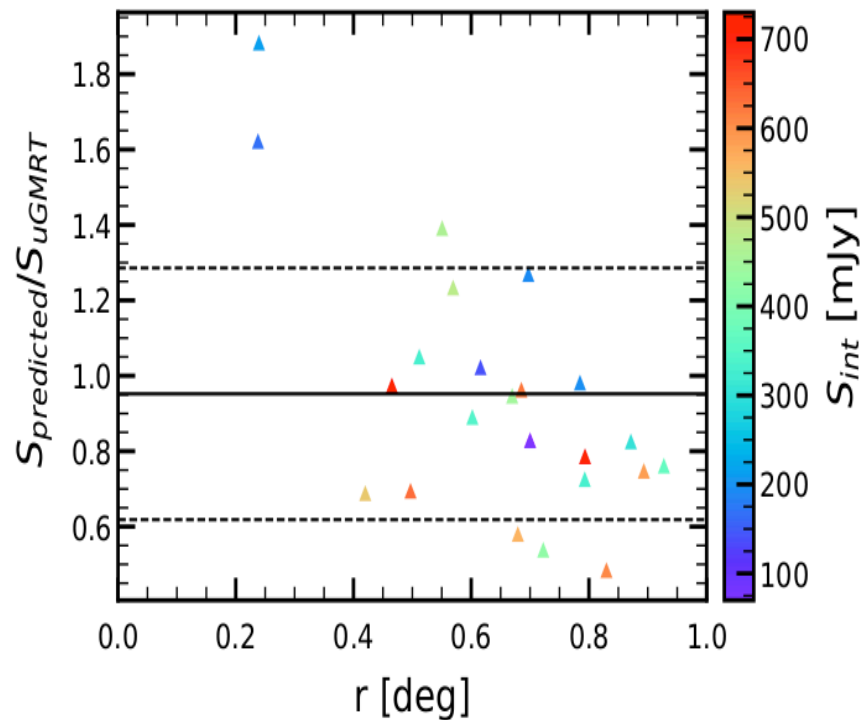
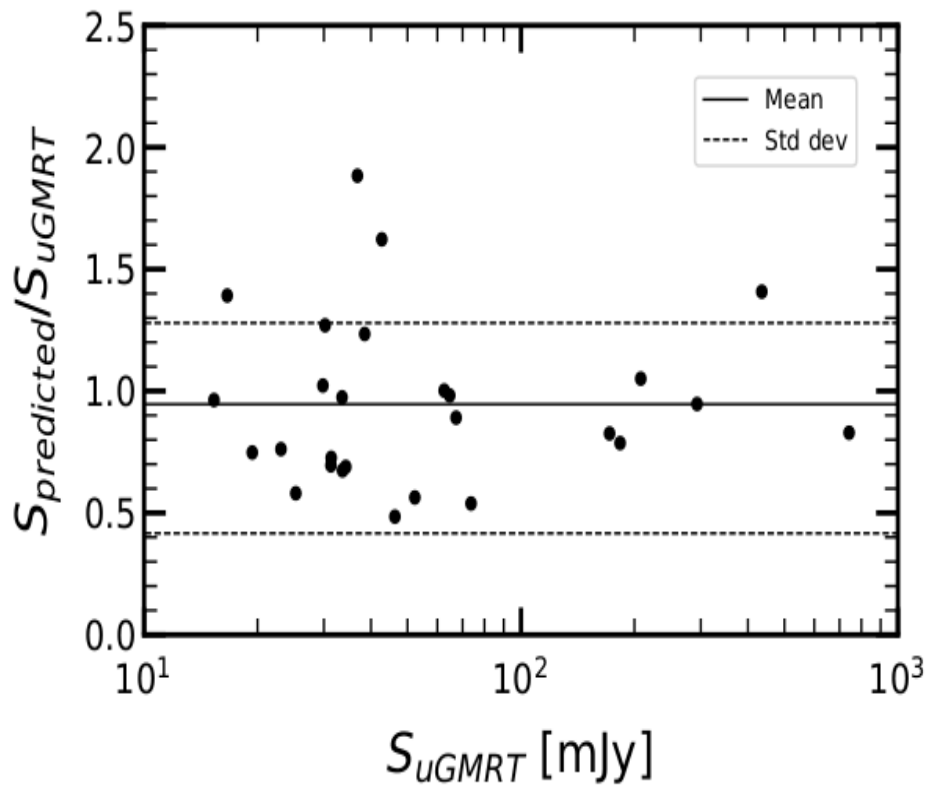


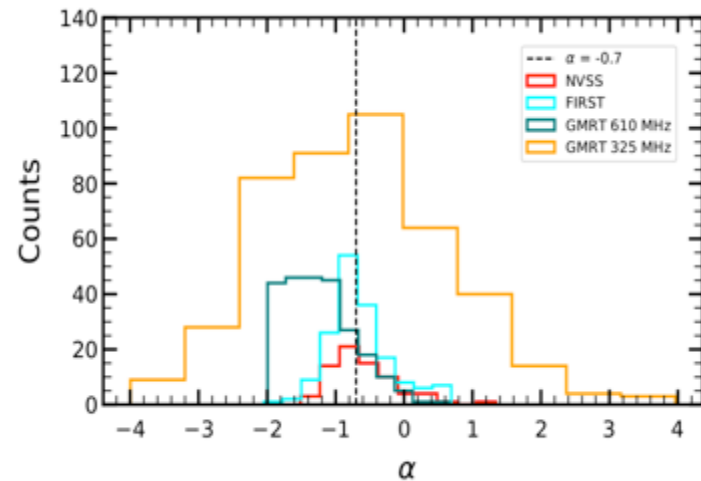
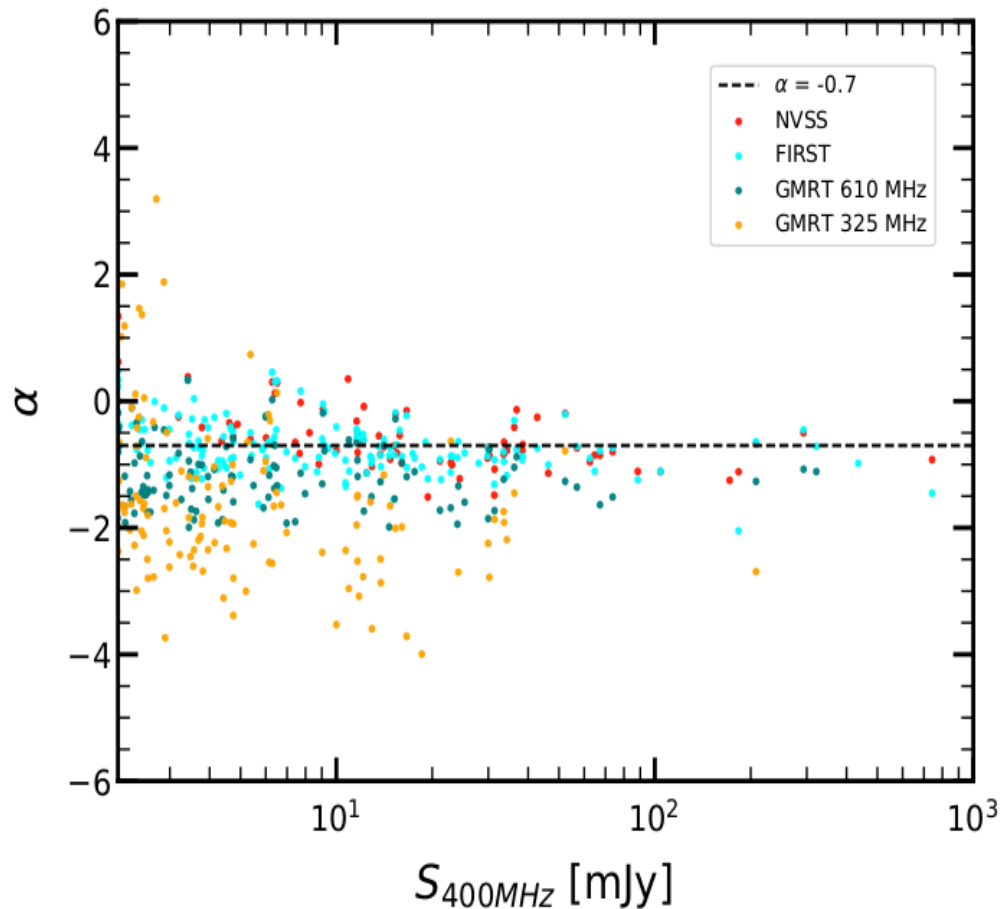
Source selection :

1. Compact sources ( size less than the corresponding resolution )
2. High SNR ( $> 10\sigma$ )

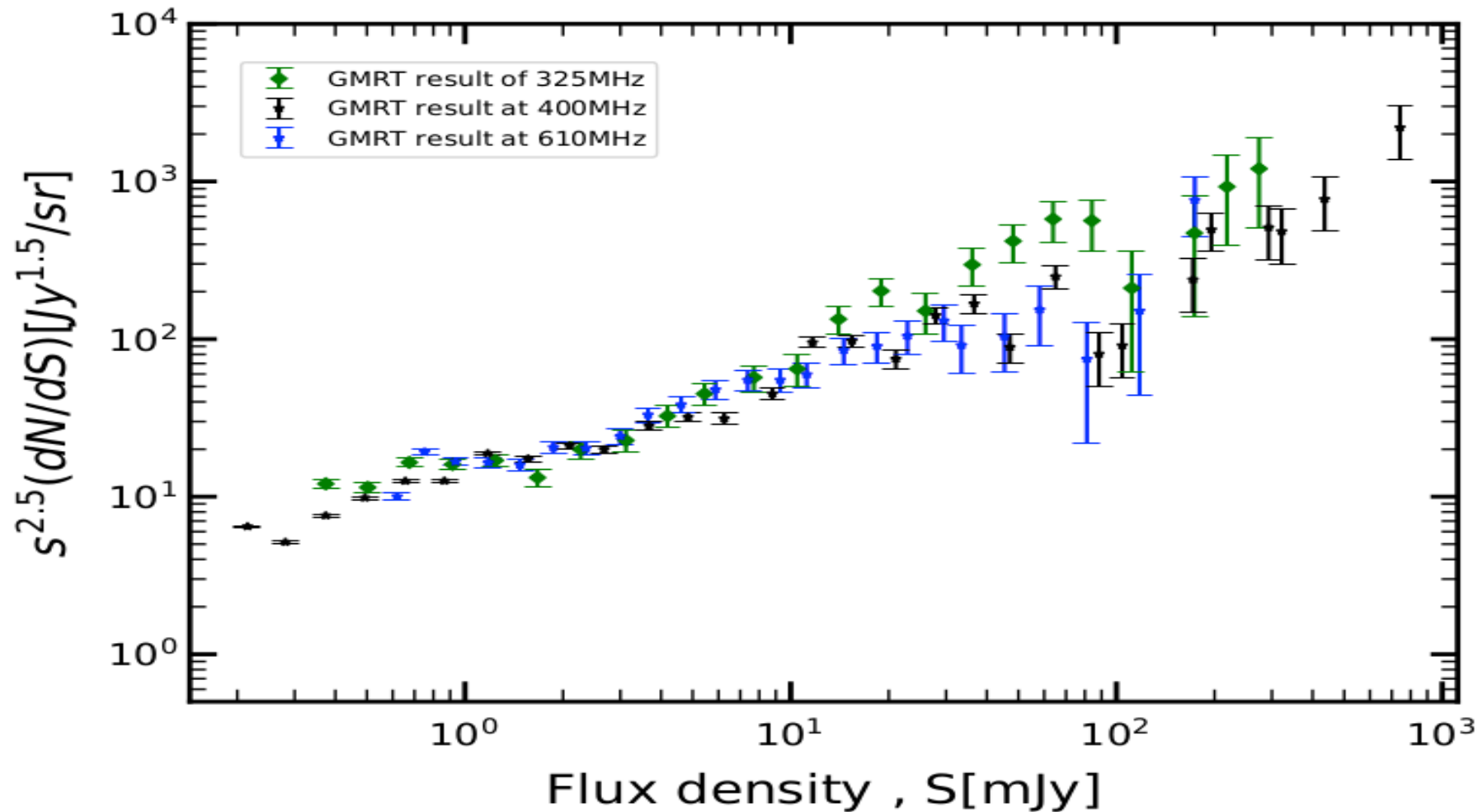


# Comparison with NVSS and WENSS catalogs





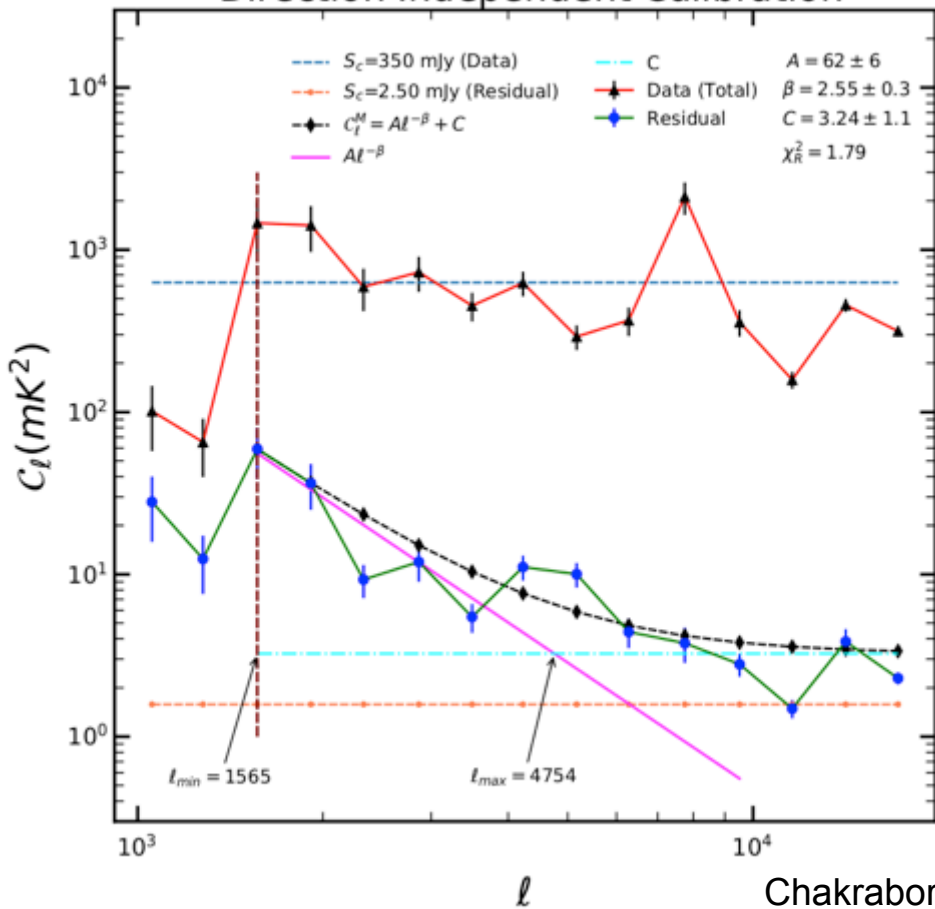
Catalog	Frequency (MHz)	Matches within ( $5''$ )	Resolution (arcsec)	$\alpha$ Histogram
NVSS	1.4 GHz	73	$45''$	-0.68
FIRST	1.4 GHz	166	$5.4''$	-0.73
GMRT	610 MHz	243	$6''$	-1.2
GMRT	325 MHz	440	$9''$	-0.71



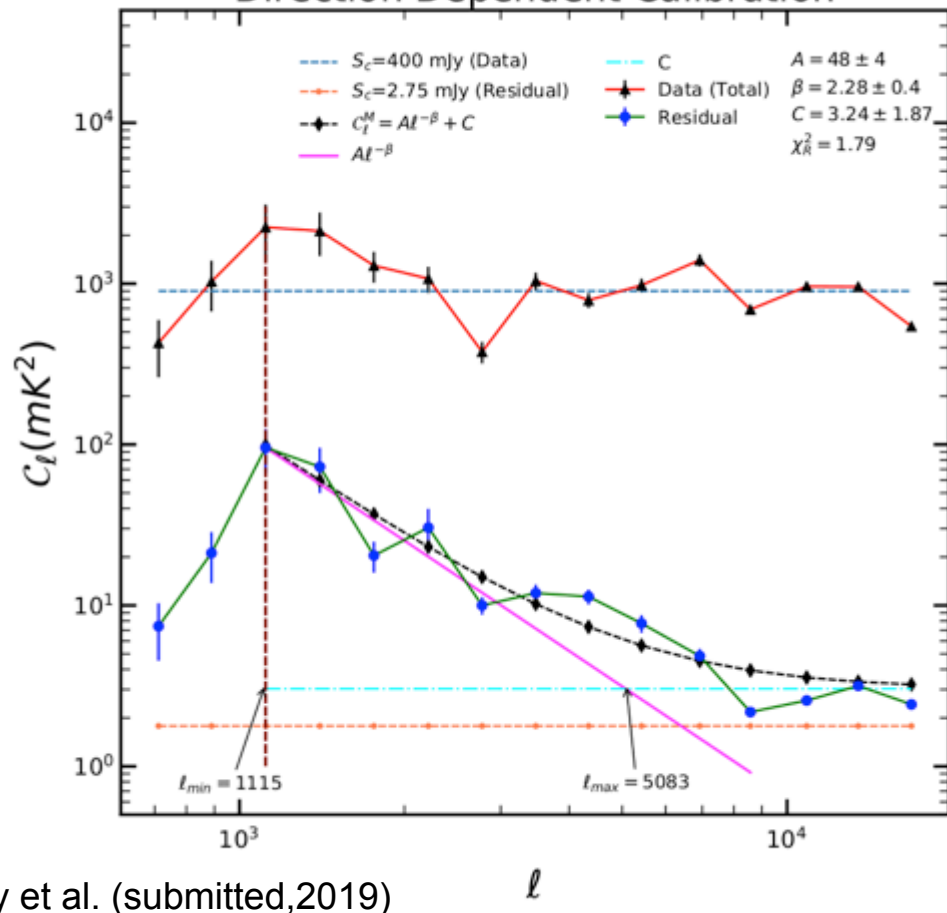
# Tapered Gridded Estimator (TGE)

Choudhuri et al. 2014, 2016)

## Direction Independent Calibration



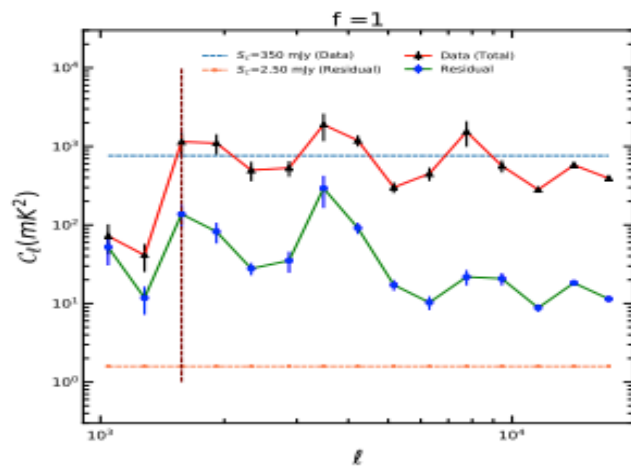
## Direction Dependent Calibration



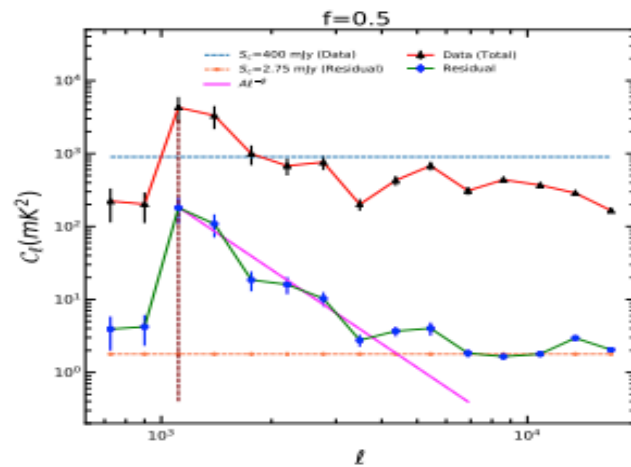
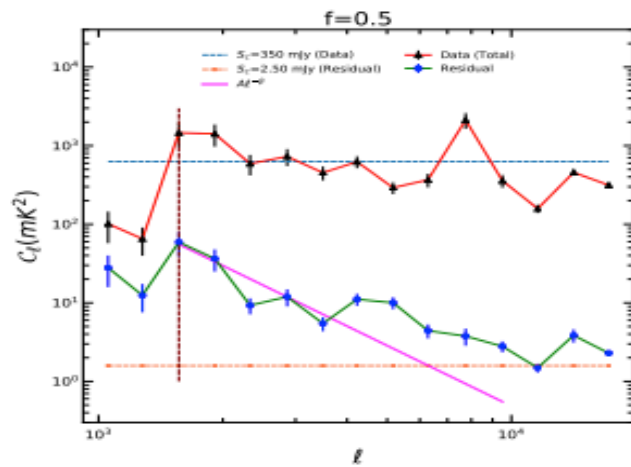
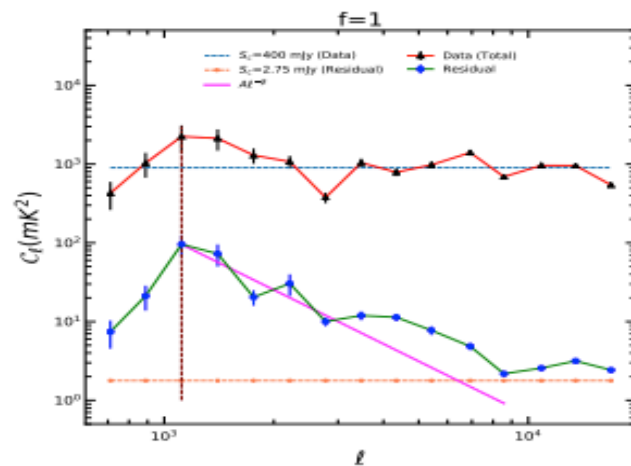
Chakraborty et al. (submitted, 2019)

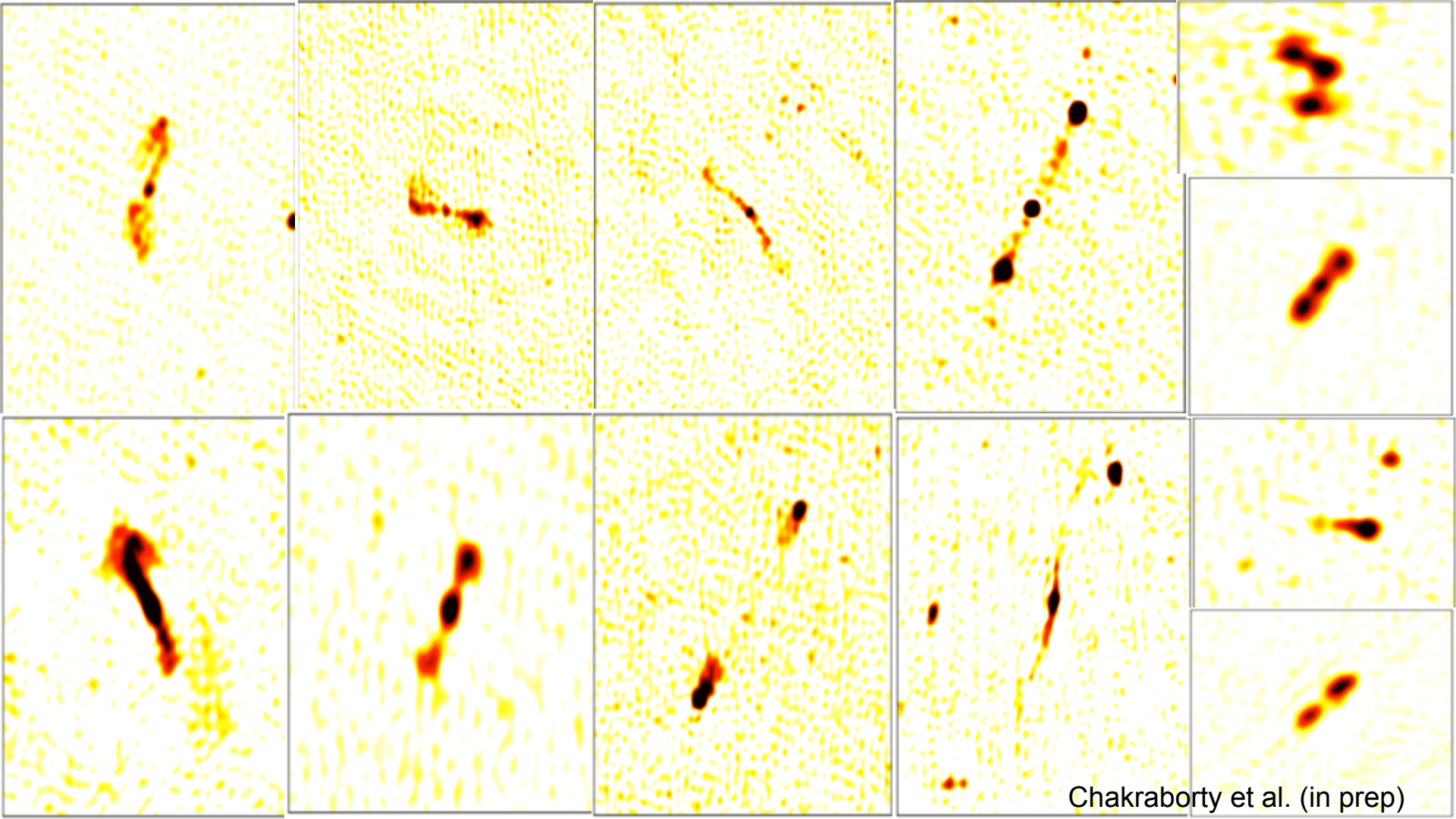


Direction Independent (CASA)



Direction Dependent (SPAM)





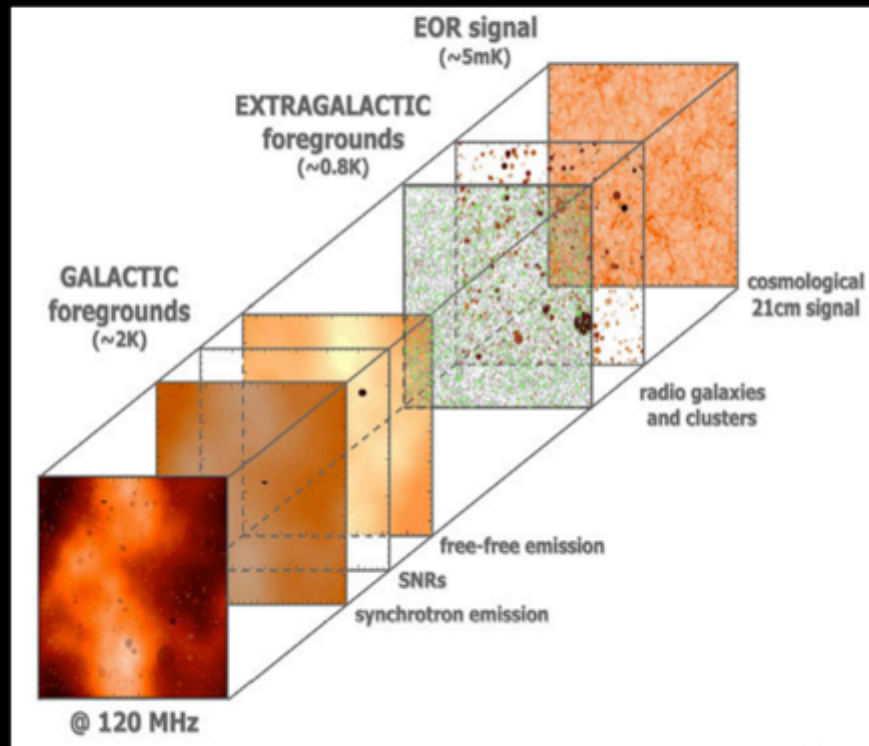
# Signal Extraction

# A MODEL FOREGROUND

- The foreground model used is of the form:

$$\ln T_{FG} = \ln T_0 + a_1 \ln(\nu/\nu_0) + a_2 \ln(\nu/\nu_0) + a_3 \ln(\nu/\nu_0)$$

- Where, all temperatures are in K, and  $\nu_0 = 80 \text{ Hz}$ , is an arbitrary reference frequency, which is chosen to lie in the middle of our band.
- The foreground parameters we deal with are :  $a_0, a_1, a_2, a_3$



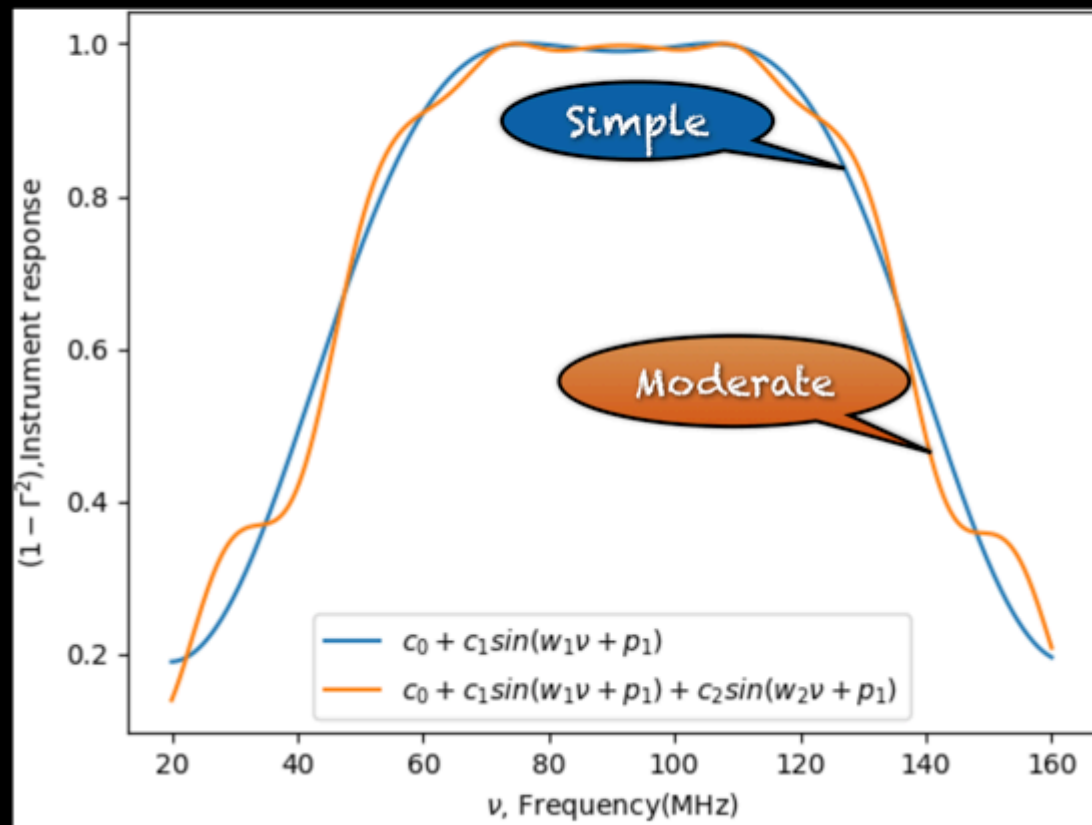


# An Instrument model

- We have considered two very simple models for the instrument.
- The instrument response is given by:

$$G(\nu) = |1 - \Gamma^2|$$

Antenna  
reflection  
coefficient



## Outline

Random values of parameters within a given range

Tanh parametrisation  
+  
ARES

Signal

+

Foregrounds

Training the network

Model saved.  
network ready to use

Test data

Input Signal + foreground

+

Output

Predicted signal &  
foreground parameters

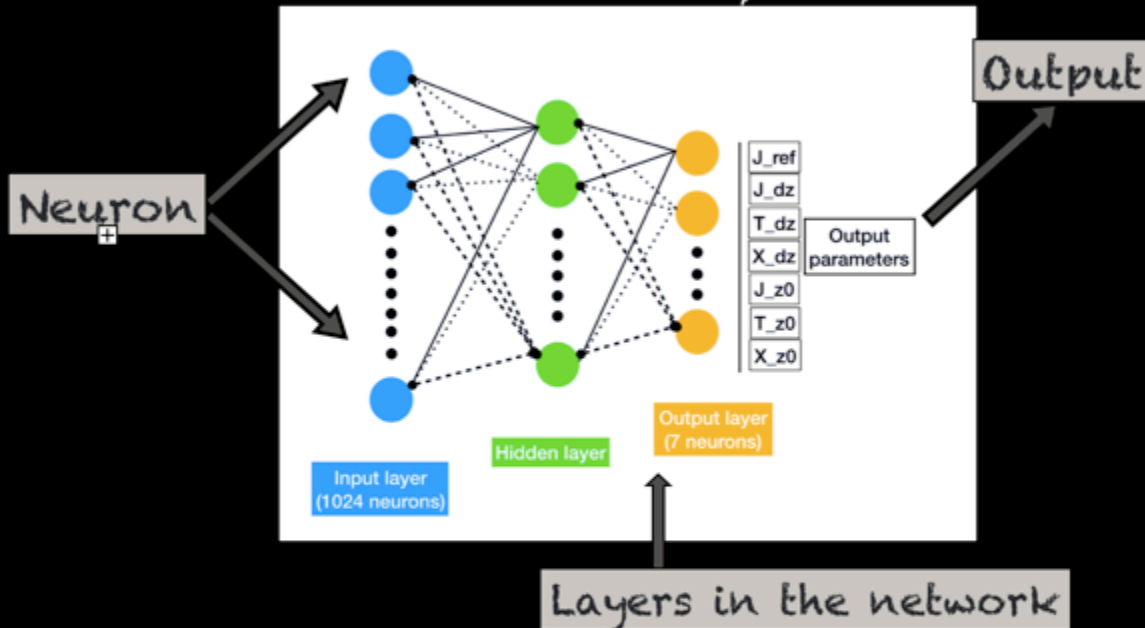
Choudhury et al (in prep)

## Building the training dataset

We need to simulate

- A model 21cm signal
- A model foreground
- Other conditions to make the simulation realistic

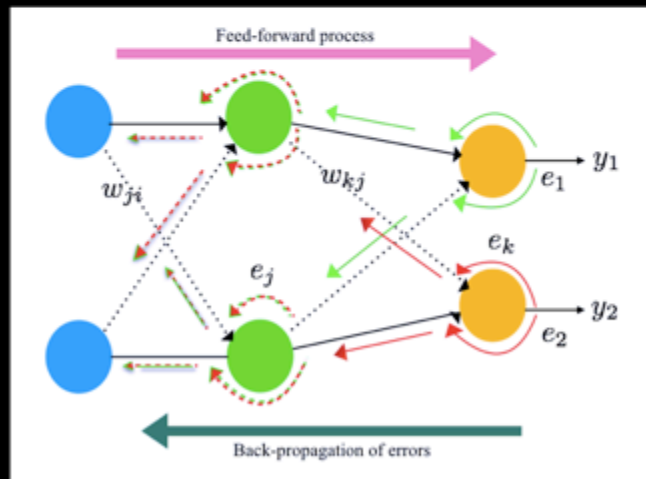
# Basic architecture of the network



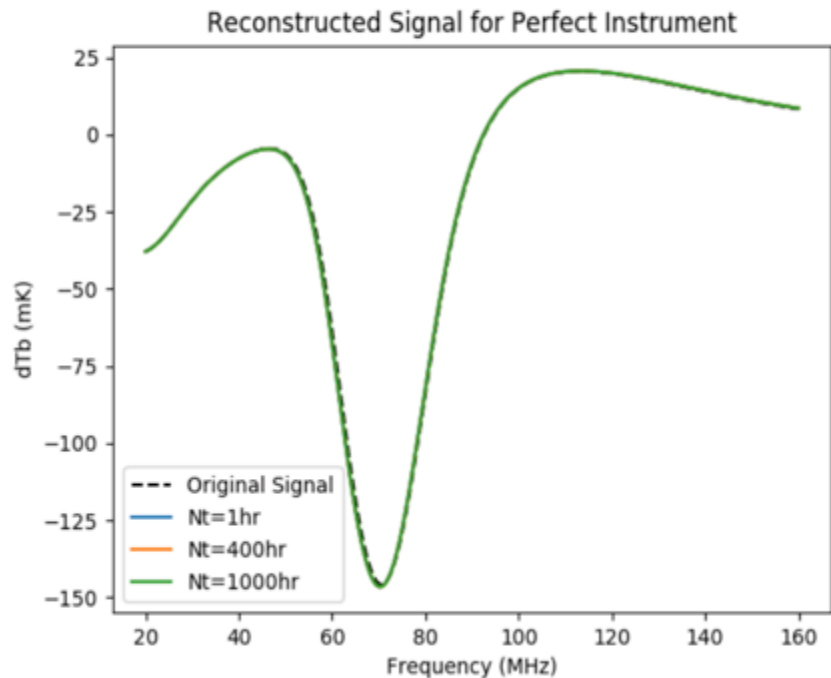
- The ANN constructs functions, which associates the input with the output data.
- The basic neural network model is described by a series of functional transformations

Cost function being minimized

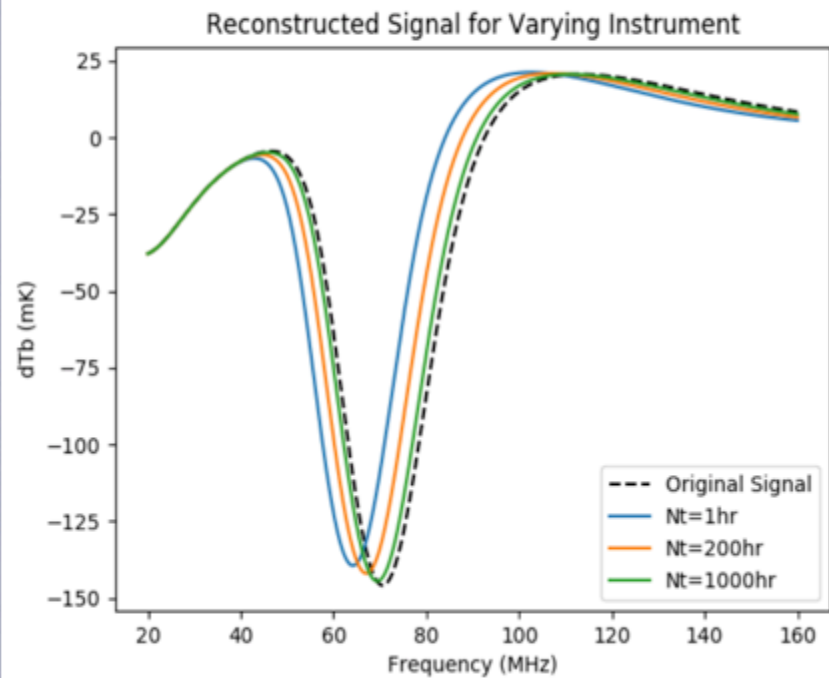
$$\sqrt{\frac{1}{N_{\text{train}}} \sum \left( \frac{y_{\text{pred}} - y_{\text{ori}}}{y_{\text{ori}}} \right)^2}$$



## Case 1: Perfect Instrument

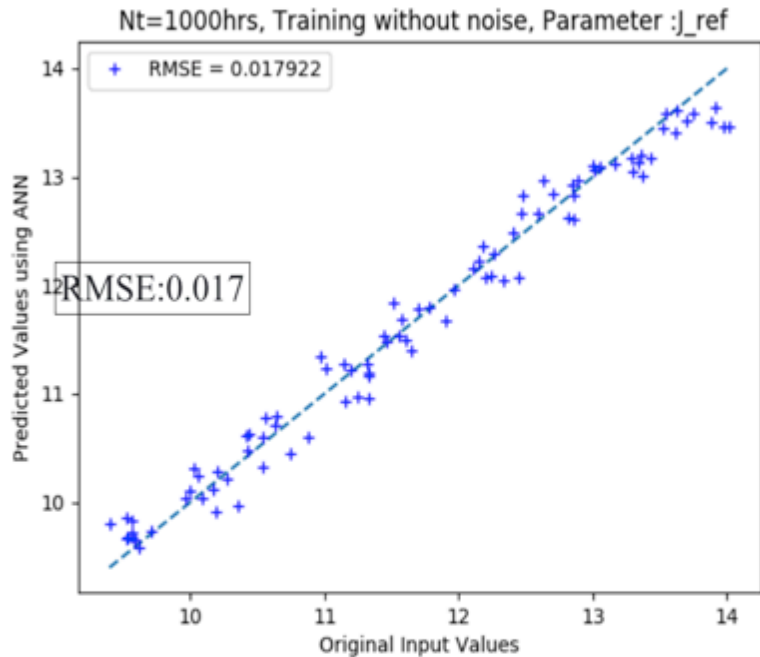


## Case 3: Imperfect Instrument

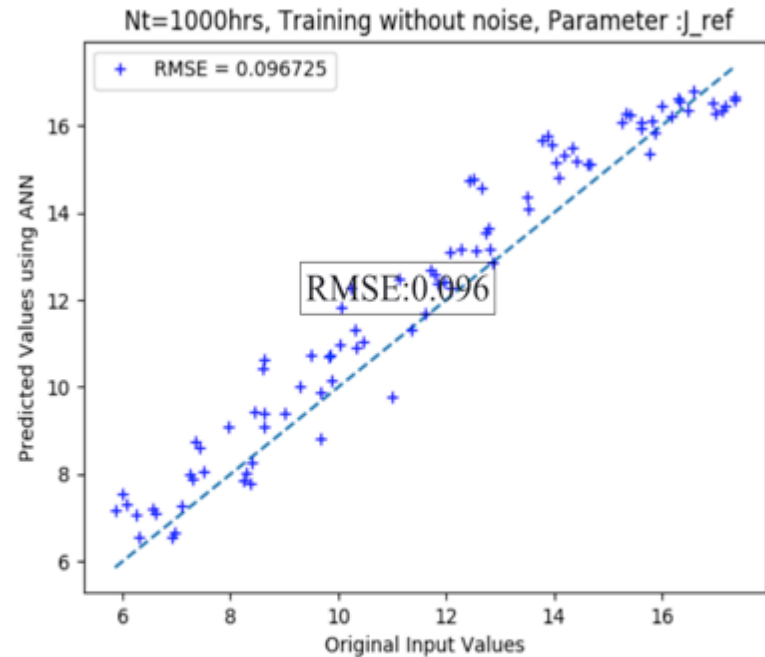




# A comparison



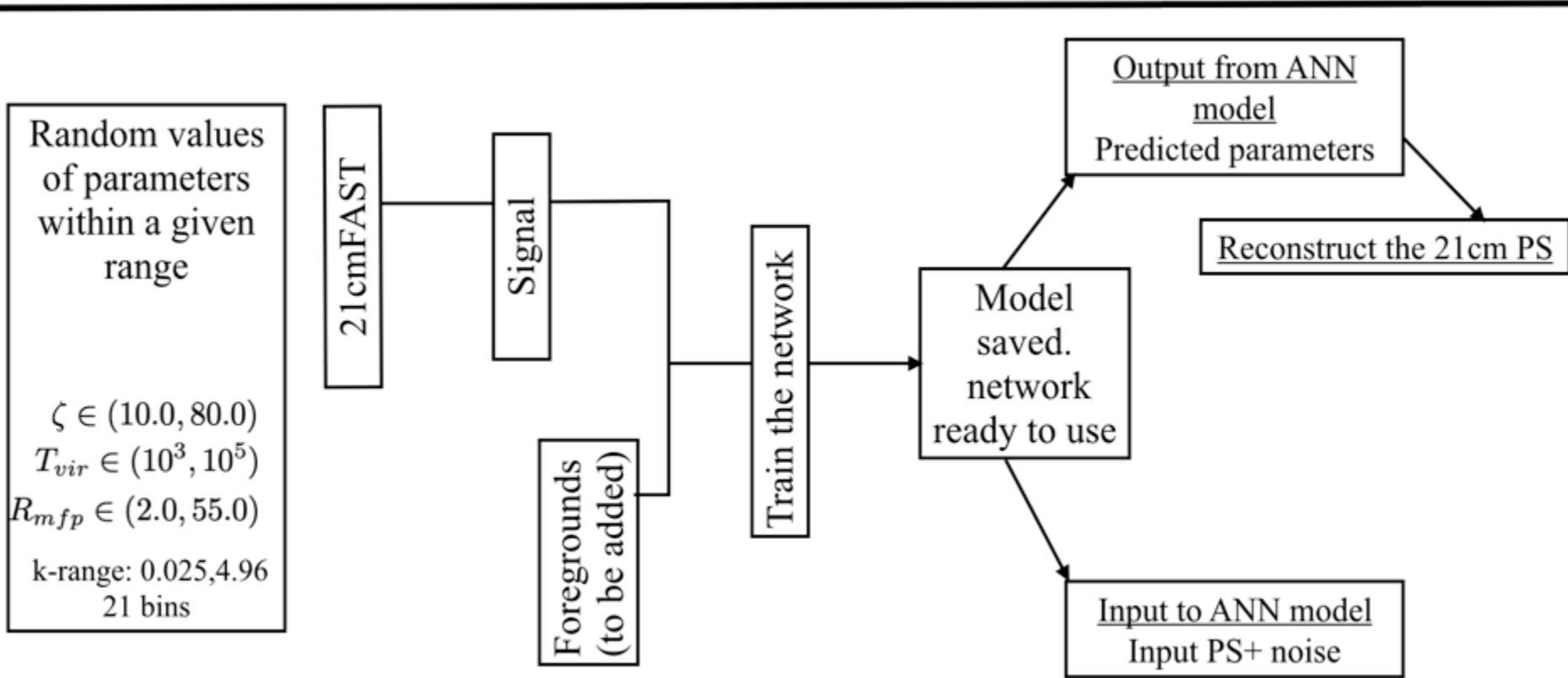
No effect of instrument



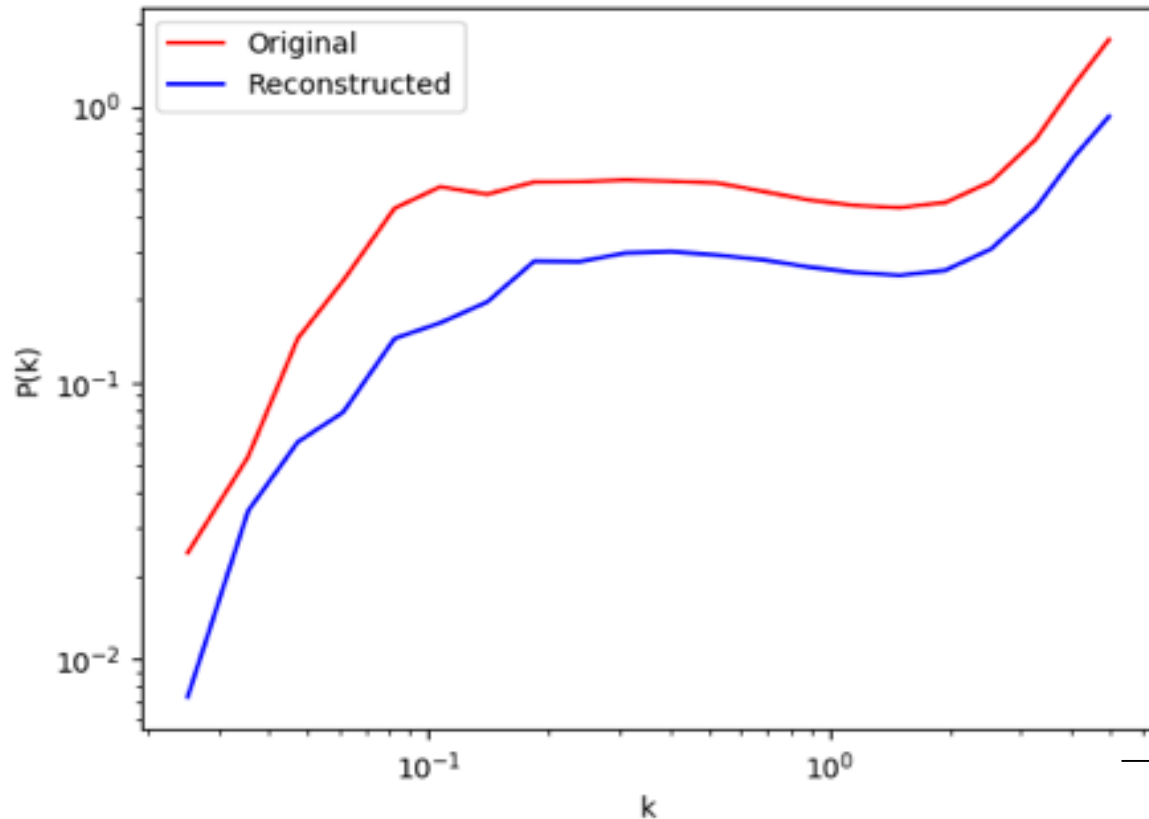
Imperfect instrument, varying

RMSE increases with more complexity of the dataset, but is still considerably small. In other words, we get very good prediction of the parameters. Choudhury et al. (in prep)

# Power Spectrum Detection – Using ANN



21cm PS from 21cmFAST



# RESULTS

—	$\zeta$	$R_{mfp}$	$T_{vir}$
Original	50.0	35.0	5000
Predicted	41.8	25.0	6114

# ROAD AHEAD

- Further analysis of the ELAIS-N1 data at Band 3
- uGMRT data at Band 2 on ELAIS-N1 field
- ANN analysis extended to Power Spectrum with Foregrounds + Systematics
- Application of Wide-band Direction Dependent Calibration algorithms.
- More DEEP fields.....